Job-shop problems without preemption

- **maximal polynomially solvable:**

$J2\|p_{ij}=1;r_i\|C_{max}$	Timkovsky (1997) [12]
$J2\|p_{ij}=1\|\sum C_i$	Kubiak & Timkovsky (1996) [5]
$J2\|p_{ij}=1\|\sum U_i$	Kravchenko (1999A) [4]
$J\|prec;p_{ij}=1;r_i;n=k\|\sum w_iU_i$	Brucker & Kraemer (1996) [1]
$J\|prec;r_i;n=2\|\sum w_iU_i$	Sotskov (1991) [9]
$J2\|n=k\|\sum w_iU_i$	Brucker et al. (1997A) [2]
$J\|prec;p_{ij}=1;r_i;n=k\|\sum w_iT_i$	Brucker & Kraemer (1996) [1]
$J\|prec;r_i;n=2\|\sum w_iT_i$	Sotskov (1991) [9]
$J2\|n=k\|\sum w_iT_i$	Brucker et al. (1997A) [2]

- **maximal pseudopolynomially solvable:**

$J\|prec;r_i;n=k\|\sum w_iU_i$	Middendorf & Timkovsky (1999) [8]
$J2\|p_{ij}=1\|\sum w_iU_i$	Kravchenko (1999A) [4]
$J\|prec;r_i;n=k\|\sum w_iT_i$	Middendorf & Timkovsky (1999) [8]

- **minimal NP-hard:**

	$J3\|n=3\|C_{max}$	Sotskov & Shakhlevich (1995) [10]
*	$J2\|\|C_{max}$	Lenstra & Rinnooy Kan (1979) [7]
*	$J2\|chains;p_{ij}=1\|C_{max}$	Timkovsky (1985) [11]
*	$J3\|p_{ij}=1\|C_{max}$	Lenstra & Rinnooy Kan (1979) [7]
	$J2\|p_{ij}=1;r_i\|\sum C_i$	Timkovsky (1998) [13]
	$J3\|n=3\|\sum C_i$	Sotskov & Shakhlevich (1995) [10]
*	$J2\|\|\sum C_i$	Garey et al. (1976) [3]
*	$J2\|chains;p_{ij}=1\|\sum C_i$	Timkovsky (1998) [13]
*	$J3\|p_{ij}=1\|\sum C_i$	Lenstra (-) [6]
	$J2\|p_{ij}=1\|\sum w_iC_i$	Timkovsky (1998) [13]
*	$J2\|p_{ij}=1;r_i\|\sum w_iC_i$	Timkovsky (1998) [13]
	$J2\|p_{ij}=1;r_i\|\sum U_i$	Timkovsky (1998) [13]
	$J2\|p_{ij}=1\|\sum w_iU_i$	Kravchenko (1999A) [4]
*	$J2\|p_{ij}=1\|\sum w_iT_i$	Timkovsky (1998) [13]

- **minimal open:**

$J2\|chains;n=3\|C_{max}$	$J2\|chains;n=3\|\sum C_i$	$J2\|p_{ij}=1;r_i\|L_{max}$
$J2\|r_i;n=3\|C_{max}$	$J2\|r_i;n=3\|\sum C_i$	$J2\|p_{ij}=1\|\sum T_i$

- **maximal open:**

$J2\|p_{ij}=1;r_i\|L_{max}$ $J2\|prec;r_i;n=k\|\sum w_iU_i$	$J2\|p_{ij}=1\|\sum T_i$	$J2\|prec;r_i;n=k\|\sum w_iT_i$

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