

Open-shop problems with preemption

- maximal polynomially solvable:

$O|pmtn; r_i|L_{max}$ Cho & Sahni (1981) [1]

- minimal NP-hard:

* $O2 chains; pmtn C_{max}$	Lenstra (-) [5]
* $O2 pmtn \sum C_i$	Du & Leung (1993) [2]
* $O2 chains; pmtn \sum C_i$	Lenstra (-) [5]
* $O2 pmtn; r_i \sum C_i$	Sriskandarajah & Wagener (1994) [7]
* $O3 pmtn \sum C_i$	Liu & Bulfin (1985) [6]
* $O2 pmtn \sum w_i C_i$	Lenstra (-) [5]
* $O2 pmtn \sum U_i$	Lawler et al. (1981,1982) [3] [4]

References

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